

# Language, Dialect, and Speaker Recognition Using Gaussian Mixture Models on the Cell Processor

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- Introduction
- Recognition for speech applications using GMMs
- Parallel implementation of the GMM
- Performance model
- Conclusions and future work



## Introduction Automatic Recognition Systems

- In this presentation, we will discuss technology that can be applied to different kinds of recognition systems
  - Language recognition
  - Dialect recognition
  - Speaker recognition

#### Who is the speaker?

What language are they speaking?



What dialect are they using?



 Speech processing problems are often described as one person interacting with a single computer system and receiving a response





- Real speech applications, however, often involve data from multiple talkers and use multiple networked multicore machines
  - Interactive voice response systems
  - Voice portals
  - Large corpus evaluations with hundreds of hours of data



Information About Speaker, Dialect, or Language



- Speech-processing algorithms are computationally expensive
- Large amounts of data need to be available for these applications
  - Must cache required data efficiently so that it is quickly available
- Algorithms must be parallelized to maximize throughput
  - Conventional approaches focus on parallel solutions over multiple networked computers
  - Existing packages not optimized for high-performance-per-watt machines with multiple cores, required in embedded systems with power, thermal, and size constraints
  - Want highly-responsive "real-time" systems in many applications, including in embedded systems



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- A modern language, dialect, or speaker recognition system is composed of two main stages
  - Front-end processing
  - Pattern recognition



- We will show how a speech signal is processed by modern recognition systems
  - Focus on a recognition technology called Gaussian mixture models



- The first step in modern speech systems is to convert incoming speech samples into *frames*
- A typical frame rate for a speech stream is 100 frames per second

#### **Speech Frames**





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- Front-end processing converts observed speech frames into an alternative representation, *features* 
  - Lower dimensionality
  - Carries information relevant to the problem





## Recognition Systems Pattern Recognition Training

#### **Training Features**

- A recognition system makes decisions about observed data based on a knowledge of past data
- During *training*, the system learns about the data it uses to make decisions
  - A set of features are collected from a certain language, dialect, or speaker





## Recognition Systems Pattern Recognition Training

- A recognition system makes decisions about observed data based on a knowledge of past data
- During *training*, the system learns about the data it uses to make decisions
  - A set of features are collected from a certain language, dialect, or speaker
  - A model is generated to represent the data





### **Recognition Systems Gaussian Mixture Models**

- A Gaussian mixture model (GMM) represents features as the weighted sum of multiple Gaussian distributions
- Each Gaussian state i has a
  - Mean  $\mu_i$
  - Covariance  $\Sigma_i$
  - Weight  $w_i$





### **Recognition Systems Gaussian Mixture Models**





### **Recognition Systems Gaussian Mixture Models**





### **Recognition Systems** Language, Speaker, and Dialect Models





### **Recognition Systems Universal Background Model**





### Recognition Systems Hypothesis Test

 Given a set of *test* observations, we perform a hypothesis test to determine whether a certain class produced it  $H_0$ :  $X_{test}$  is from the hypothesized class

 $H_1$ :  $X_{test}$  is not from the hypothesized class





### Recognition Systems Hypothesis Test

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Recognition Systems Hypothesis Test

Given a set of *test* observations, we perform a hypothesis test to determine whether a certain class  $p(\mathbf{x}|\lambda_1)$ produced it 0.08 0.07 0.06 0.05 0.04 0.03 0.02 0.01  $X_{test} = \{ \boldsymbol{x}_1, \boldsymbol{x}_2, \cdots, \boldsymbol{x}_K \}$ English? -15 Dim 2 .15 Dim 1 0.08 0.07  $p(\mathbf{x} \mid \lambda_{\overline{c}})$ 0.06 0.05 0.04 0.07 0.03 0.05 0.02 0.05 0.01 0.04 0.03-**Not English?** 0.02 0.01 -10 -15 -15 Dim 2 Dim 1 -15 Dim 2 Dim 1 **MIT Lincoln Laboratory** 



• We determine which hypothesis is true using the ratio:

 $\frac{p(X \mid H_0)}{p(X \mid H_1)} \begin{cases} \geq \text{ threshold, } & \text{accept } H_0 \\ \leq \text{ threshold, } & \text{reject } H_0 \end{cases}$ 

• We use the *log-likelihood ratio score* to decide whether an observed speaker, language, or dialect is the target

 $\Lambda(X) = \log[p(X \mid \lambda_{c})] - \log[p(X \mid \lambda_{\overline{c}})]$ 

 $\Lambda(X) \begin{cases} \geq \text{threshold,} & X \text{ generated by } \lambda_C \\ < \text{threshold,} & X \text{ generated by } \lambda_{\overline{C}} \end{cases}$ 









$$\log[p(X \mid \lambda)] = \frac{1}{K} \sum_{i=1}^{K} \left( \log \sum_{i=1}^{M} \exp\left(C_{i} - \frac{1}{2} (\boldsymbol{x} - \boldsymbol{\mu}_{i})^{T} \Sigma_{i}^{-1} (\boldsymbol{x} - \boldsymbol{\mu}_{i}) \right) \right)$$
  
**Dot product**





$$\log[p(X \mid \lambda)] = \frac{1}{K} \sum_{i=1}^{K} \left( \log \sum_{i=1}^{M} \exp\left( C_{i} - \frac{1}{2} (\mathbf{x} - \boldsymbol{\mu}_{i})^{T} \Sigma_{i}^{-1} (\mathbf{x} - \boldsymbol{\mu}_{i}) \right) \right)$$

$$\int \mathbf{U}_{\mathbf{y}}$$
Constant derived from weight and covariance





$$\log[p(X \mid \lambda)] = \frac{1}{K} \sum_{i=1}^{K} \left( \log \sum_{i=1}^{M} \exp\left(C_{i} - \frac{1}{2}(\mathbf{x} - \boldsymbol{\mu}_{i})^{T} \Sigma_{i}^{-1}(\mathbf{x} - \boldsymbol{\mu}_{i})\right) \right)$$
  
Table lookup used to  
compute this function





$$\log[p(X \mid \lambda)] = \frac{1}{K} \sum_{i=1}^{K} \left( \log \sum_{i=1}^{M} \exp\left(C_{i} - \frac{1}{2}(\boldsymbol{x} - \boldsymbol{\mu}_{i})^{T} \Sigma_{i}^{-1}(\boldsymbol{x} - \boldsymbol{\mu}_{i})\right) \right)$$

Sum over all *K* features



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- We have developed an algorithm to perform GMM scoring on the Cell processor
- This scoring stage of pattern recognition is where much of the time is spent in current systems
- This section:
  - Describes the Cell Broadband Engine architecture
  - Summarizes the strengths and limitations of the Cell
  - Discusses step-by-step the algorithm we developed for GMM scoring on the Cell



### Parallel Implementation of the GMM Cell Architecture

- The Cell Broadband Engine has leading performance-per-watt specifications in its class
- Synergistic processing elements (SPEs)
  - 256KB of local store memory
  - 25.6 GFLOPs per SPE
  - SIMD instructions
- PowerPC processor element (PPE)
- PPE and multiple SPEs operate in parallel and communicate via a high-speed bus
  - 12.8e9 bytes/second (one way)
- Each SPE can transfer data from main memory using DMA
  - PPE can effectively "send" data to the SPEs using this method





- Limitations of the Cell processor
  - Size of local store is small—only 256KB
  - All SPE data must explicitly be transferred in and out of local store
  - The PPE is much slower than the SPEs
- Solutions to maximize throughput
  - Do computations on SPEs when possible
  - Minimize time when SPEs are idle
  - Keep commonly-used data on SPEs to avoid cost of transferring to local store



### Parallel Implementation of the GMM Algorithm: Background Scoring

Begin with a background model and a single feature vector **On PPE**  $p(\mathbf{x} \mid \lambda_{\bar{c}})$ 0.08 0.07 0.06 0.05 0.04 0.03 0.02 0.01 Dim 2 15 -15 Dim 1 **On PPE**  $\boldsymbol{x}_1$ 







- 616K model is split across
   SPEs since it will not fit on single SPE
- Kept on SPEs throughout scoring procedure























## Parallel Implementation of the GMM Algorithm: Target Scoring

 Begin with a target model and keep the single feature vector on the SPEs



**On SPEs** 







- Distribute target model states to the SPEs
  - Only a subset of states need to be scored (called *Gaussian short-lists*)







 Score feature vectors against target models









Collect target scores from

SPEs and aggregate





- We have begun implementing our algorithm on the Cell processor
- Implementing vectorization is a challenge
  - Concentrate on optimizing dot product and aggregation algorithms

$$\log[p(X \mid \lambda)] = \frac{1}{K} \sum_{1}^{K} \left( \log \sum_{i=1}^{M} \exp\left(C_{i} - \frac{1}{2} (\boldsymbol{x} - \boldsymbol{\mu}_{i})^{T} \Sigma_{i}^{-1} (\boldsymbol{x} - \boldsymbol{\mu}_{i})\right) \right)$$

- Designing data transfers is another challenging problem
  - Subdividing and distributing the models to minimize transfer time
  - Timing transfers so that they overlap with computation (double buffering)



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#### **Cell Resources**





















### **Performance Model Simulation and Measurements**



**Computational Efficiency (Percent)** 



### **Performance Model Simulation and Measurements**



**Computational Efficiency (Percent)** 



### **Performance Model Simulation and Measurements**



**Computational Efficiency (Percent)** 



- The effect of increasing the number of speakers, dialects, or languages (targets) was simulated
  - Changing the number of targets varies the amount of data sent to SPEs and the amount of calculation per SPE





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- Language, dialect, and speaker recognition systems are large in scale and will benefit from parallelization due to their need for high throughput
- GMM scoring is expensive both in terms of computing resources and memory
- We have designed and modeled an algorithm to perform GMM scoring in an efficient way
  - Preserving often-used data on the SPEs
  - Performing most calculations on the SPEs



- Optimization and measurement of the full algorithm to validate the model
- Compare our system against other state-of-the-art serial and parallel approaches
  - Intel single processor
  - Intel multicore
  - Intel networked
  - Cell PPE
- Our results will become part of the PVTOL library



- Cliff Weinstein
- Joe Campbell
- Alan McCree
- Tom Quatieri
- Sharon Sacco



# Backup



## Gaussian Mixture Model Equation

- A Gaussian mixture model (GMM) represents features as the weighted sum of multiple Gaussian distributions
- Each Gaussian state i has a
  - Mean  $\mu_i$
  - Covariance  $\Sigma_i$
  - Weight  $w_i$

$$p(\boldsymbol{x} \mid \boldsymbol{\lambda}) = \sum_{i=1}^{M} \frac{w_i}{(2\pi)^{D/2} |\Sigma_i|^{1/2}} \exp\left(-\frac{1}{2} (\boldsymbol{x} - \boldsymbol{\mu}_i)^T \Sigma_i^{-1} (\boldsymbol{x} - \boldsymbol{\mu}_i)\right)$$

