

Multicore Acceleration of the Complex Ambiguity Function

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High Performance Embedded Computing (HPEC) Workshop

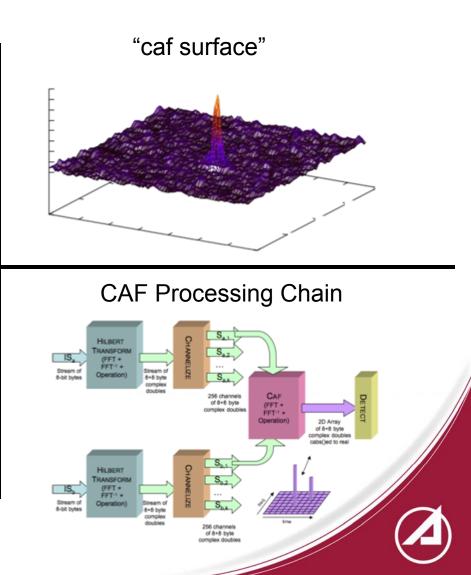
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- Performed Multicore Parallelization Study of the Complex Ambiguity Function (CAF)
- CAF is a key algorithm for performing time and frequency delay of arrival (TDOA/FDOA) for actively sensed objects
 - Output is "caf surfaces"
 - Peak detection gives TDOA/FDOA
- Entire CAF evaluation requires pre-/postprocessing steps
- CAF module is most computationally intensive
- OpenMP loop-level parallelization strategy employed
- Parallel speedups of 75% or greater for dual-quad core Intel Xeon system



Computational Kernels & Parallelization Strategy

- Four Modules
 - Pre-/Post-processing: HILBERTTRANSFORM, CHANNELIZE, DETECT
 - Computational Kernels: Multiple independent FFTs, FIR filters
 - CAF: Computationally most intensive
 - Computational Kernel: Multiple independent cross-correlations utilizing FFTs

$$A_{k}(m,\nu) = \sum_{l=0}^{L-1} S_{a,k}(l+\nu) \times S_{b,k}^{*}(l) \times e^{-j2\pi m l/L}$$

caf surface $A_{k}(m,\nu)$

- Parallelization Strategy
 - Large amounts of loop-level parallelism with multiple FFTs performed in parallel and no data-dependencies between loop iterations within HILBERTTRANSFORM and Снапления modules
 - Ideal loop-structure for OpenMP omp parallel for iterative workshare construct
 - CAF and DETECT modules enclosed by doubly-nested outer for-loop with multiple large FFTs performed in parallel and no data-dependencies between loop iterations
 - Ideal loop-structure for OpenMP omp parallel for iterative workshare construct

Workload-Driven Evaluation

- To assess efficacy of parallelization effort and the parallel scalability of the dualquad core system
 - Workload was parameterized
 - Scaling input size from 6.25 MS to 31.25 MS in steps of 6.25 MS (1MS = 2²⁰ samples)
 - Observed linear-scaling in uni-processor runtime
 - Processing a Nominal Surface case, i.e. culled number of caf surfaces, and All Surface case, i.e. all possible caf surfaces
 - Two Workload-Driven metrics calculated
 - Workload-Constrained (WC) metric
 - Ability of parallel system to minimize overall wall-clock time

Speedup_{WC}(*p* cores) = $\frac{\text{Time}(1 \text{ core})}{\text{Time}(p \text{ cores})}$

- Modified Linear-Scaled Workload Time-Constrained (MLSWTC) metric
 - Ability of parallel system to maintain a uni-core runtime as workload is increased in proportion to number of parallel resouces (cores)

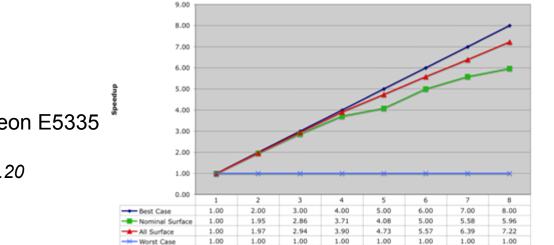
Speedup_{MLSWTC}(*p* cores, min(*p*,*ubism*) input size) = $\frac{\text{Time}(1 \text{ core, } 1 \text{ input size})}{\text{Time}(p \text{ cores, min}(p, ubism) \text{ input size})}$

- ubism is the upper-bound input size multiple of base input size (5 for study)
- Modification of "scaled-speedup" model of Gustafson[1]

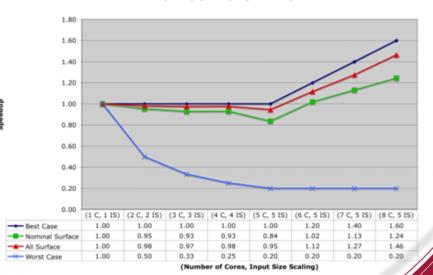
[1] Gustafson, J.L., "Reevaluating Amdahl's Law", Comm. ACM, v. 31, no. 5, p. 532-533 (1988)

Results

WC Speedup (6.25MS, -10dB) + (ICC+MKL)



Number of Cores



MLSWTC Speedup (-10dB) + (ICC+MKL)

- Using dual-quad core Intel Xeon E5335 "Clovertown" system¹
 - ICC v. 10.0 + MKL v. 10.0.3.20
- WC Speedup
 - (6.25MS, -10dB) Workload
 - (-10dB = 8K element CAF FFTs)
 - Nominal Surface, 5.96/8 = 75%
 - All Surface, 7.22/8 = 90%
 - Process given workload 6x to 7.2x faster
- MLSWTC Speedup (-10dB)
 - (5 cores, 5 input size)
 - Nominal Surface, .84/1
 - All Surface, .95/1
 - Both Surface Processing Cases
 - Process 5x base input with 6 cores in same amount of time as uni-core processor base input runtime

¹2.0GHz; 2x4MB shared L2, 32KB I/D L1; 10.6 GB/sec FSB; 8GB system memory; 64-bit CentOS5